

3.3

CONVERSION PROBLEMS

Section Review

Objectives

- Construct conversion factors from equivalent measurements
- Apply the techniques of dimensional analysis to a variety of conversion problems
- Solve problems by breaking the solution into steps
- Convert complex units, using dimensional analysis

Vocabulary

- conversion factor
- dimensional analysis

Part A Completion

Use this completion exercise to check your understanding of the concepts and terms that are introduced in this section. Each blank can be completed with a term, short phrase, or number.

Whenever two measurements are equal, or equivalent, a ratio of these two measurements will equal 1.

A ratio of equivalent measurements is called a 2. When a measurement is multiplied by a conversion factor, the value of the measurement 3.

In 4, the units that are a part of the measurements are used to help solve the problem. The form of the conversion factor that is used is the one in which the unit of the 5 is in the denominator.

Many complex word problems can be solved by breaking the solution into 6. When converting between units, it is often necessary to use more than one 7.

In doing multistep problems, it is important to check that the numerator and 8 of each conversion factor are equivalent.

When the 9 cancel, you should be left with the unit of the 10.

- one
- conversion factor
- remains the same
- dimensional analysis
- analysis known
- steps
- conversion factor
- denominator
- units
- unknown

Part B True-False

Classify each of these statements as always true, AT; sometimes true, ST; or never true, NT.

- NT 11. The units of a conversion factor must cancel.
- ST 12. The conversion factor for changing between grams and milligrams is $\frac{1 \text{ g}}{1000 \text{ mg}}$.
- AT 13. Multiple conversion factors can be used to solve complex conversion problems.
- NT 14. If density = mass/volume, then mass = density/volume.
- AT 15. When two measurements are equal, a ratio of these two measurements will equal unity.

Part C Questions and Problems

Answer the following in the space provided.

16. Make the following conversions using Tables 3.1 and 3.2. Write your answers in scientific notation.

- a. 125 g to kilograms

$$125 \text{ g} \cdot \frac{1 \text{ kg}}{1000 \text{ g}} = 0.125 \text{ kg}$$

- b. 0.12 L to mL

$$0.12 \text{ L} \times \frac{1000 \text{ mL}}{1 \text{ L}} = 1.2 \times 10^2 \text{ mL}$$

17. If 1500 white blood cells are lined up side by side, they would form a row 1.0 inch long. What is the average diameter in micrometers of a single white blood cell? (1 inch = 2.54 cm)

$$\frac{1.0 \text{ in}}{1500 \text{ cells}} \times \frac{2.54 \text{ cm}}{1 \text{ in}} \times \frac{1 \text{ m}}{100 \text{ cm}} \times \frac{10^6 \mu\text{m}}{1 \text{ m}} = 17 \mu\text{m}/\text{cell}$$

18. A radio wave travels 186,000 miles per second. How many kilometers will the wave travel in one microsecond? (1 mile \approx 1.61 km)

$$\frac{186000 \text{ miles}}{1 \text{ s}} \cdot \frac{1 \text{ s}}{10^6 \mu\text{s}} \cdot \frac{1.61 \text{ km}}{1 \text{ mile}} = \frac{2.99 \times 10^{-1} \text{ km}}{1 \mu\text{s}}$$